

Astrophysical Sources as Dark Matter Detectors

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Physics 492: Honors
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Where did it all begin?



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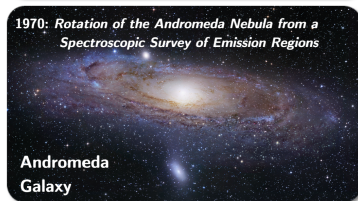
1937: *On the Masses of Nebulae and of
Clusters of Nebulae*

Coma
Cluster

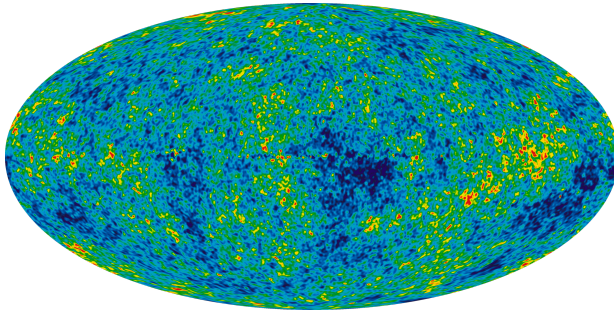


Andromeda
Galaxy

Where did it all begin?

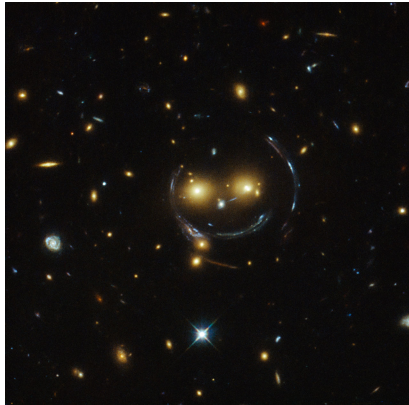


Where are we now?



Cosmic Microwave Background Radiation, WMAP.

Where are we now?



“Smiling” image of a galaxy cluster with lensed background galaxies.

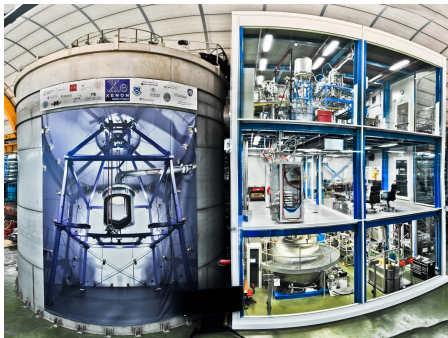
Hitting the Neutrino Floor



XENON1T Direct Detection Experiment.

Hitting the Neutrino Floor

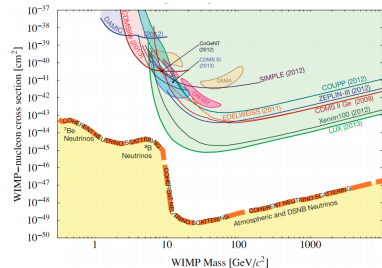
- Dark matter direct detection experiments are slowly reaching the limits of the instruments – DSNB **neutrino noise is becoming an issue.**



XENON1T Direct Detection Experiment.

So what do we do?

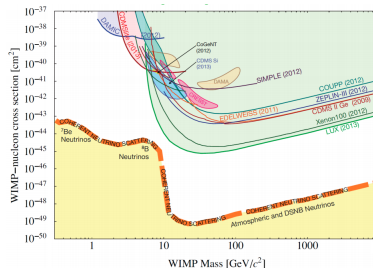
- If dark matter direct detection is slowly becoming obsolete, how can we probe to lower cross section bounds?



Cross section bounds from direct detection.

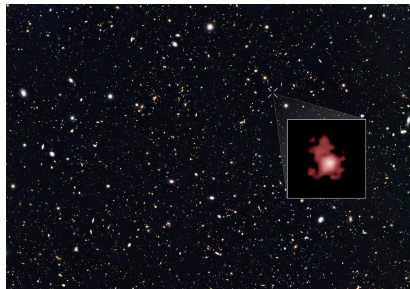
So what do we do?

- If dark matter direct detection is slowly becoming obsolete, how can we probe to lower cross section bounds?
- **Look to astrophysics!**



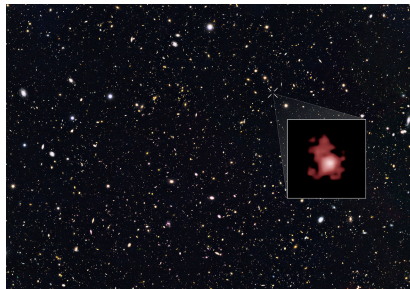
Cross section bounds from direct detection.

Other motivations!



GN-z11: $z \sim 11$, with a super massive black hole at its center.

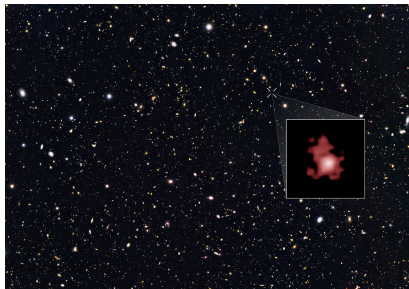
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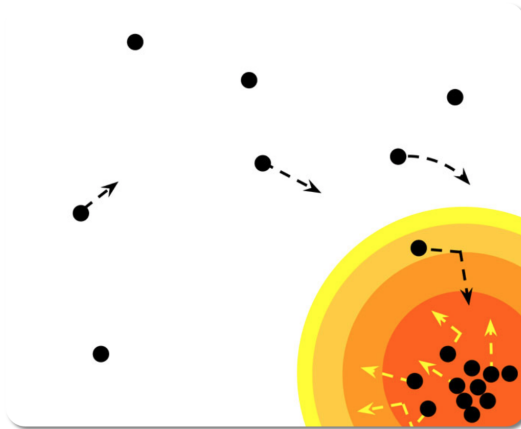
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- Freese, locco, Taoso, Gondolo, Gould, and more: **Dark stars.**
- Explanation of super massive black holes?

Multiscatter Capture “Derivation”



Schematic of multiscatter capture.

With that in mind...

On paper:

$$\text{Cap. Rate (N Scatters)} = (\text{stellar parameters}) \times$$
$$(\text{prob. of scattering}) \times$$
$$(\text{prob. of being captured by those scatters})$$

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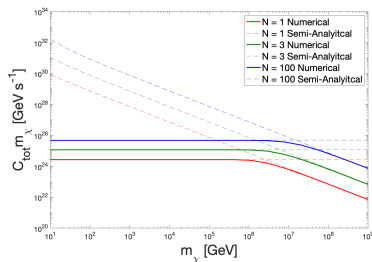
In practice:

$$C_N = \pi R^2 p_N(\tau) \frac{\sqrt{2} n_\chi}{\sqrt{3\pi} \bar{v}} \left((2\bar{v}^2 + 3v_{esc}^2) - (2\bar{v}^2 + 3v_N^2) \exp\left(-\frac{3(v_N^2 - v_{esc}^2)}{2\bar{v}^2}\right) \right)$$

$$C_{tot} = \sum_{N=1}^{\infty} C_N$$

Observational Effects (NS)

- Dark matter annihilation provides an additional luminosity source for the neutron star L_{DM} .



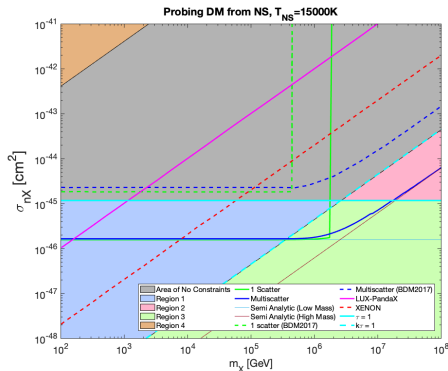
$$L_{DM} = C_{tot} m_{\chi} \text{ in neutron stars.}$$

Constraining DM Properties (NS)

- This luminosity becomes important for **old neutron stars** so that DM has thermalized and annihilation is in equilibrium.

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- This luminosity becomes important for **old neutron stars** so that DM has thermalized and annihilation is in equilibrium.
- → Leading to constraints on m_χ and σ_χ for a given ρ_χ .



One more piece of physics needed

The **Eddington Luminosity** is the maximum luminosity a star can have while preserving hydrostatic equilibrium.

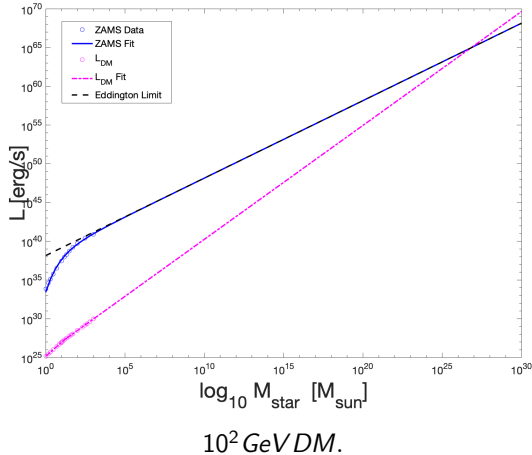
$$L_{Edd} = 3.7142 \times 10^4 \left(\frac{M_{\star}}{M_{\odot}} \right) L_{\odot}$$

Observational Effects (Pop. III)

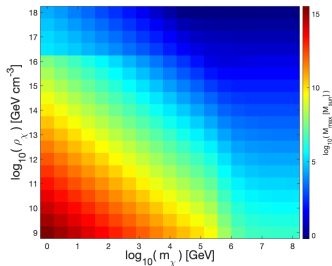
- Harder to deal with:

$$\text{Bounds} \rightarrow \begin{cases} L_{\text{edd}}(M_{\text{max}}) = L_{\text{DM}}(M_{\text{max}}) + L_{\text{nuc}}(M_{\text{max}}) & : \text{Strong Limit} \\ L_{\text{edd}}(M_{\text{max}}) = L_{\text{DM}}(M_{\text{max}}) & : \text{Weak Limit} \end{cases}$$

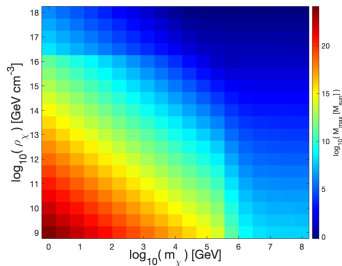
Observational Effects (Pop. III)



Mass Constraints (Pop. III)



Strong limit.



Weak limit.

Constraints from Pop. III Stars

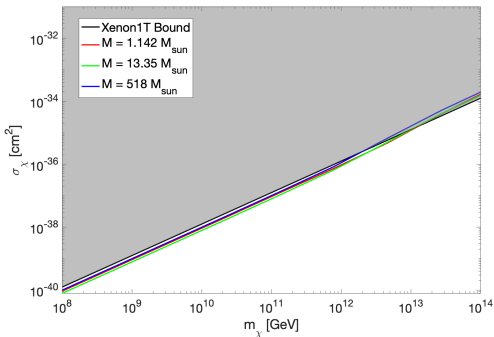
- What happens if we observe an Eddington limited star?

$$L_{DM} \propto \sigma_{\chi} \rho_{\chi} M_{\star}^3 / m_{\chi} R_{\star}^2$$

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Key takeaways...

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Direct detection experiments are quickly approaching the sensitivity of **background neutrinos**.

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Astrophysical sources can be used to constrain the dark matter interaction cross section σ_χ .

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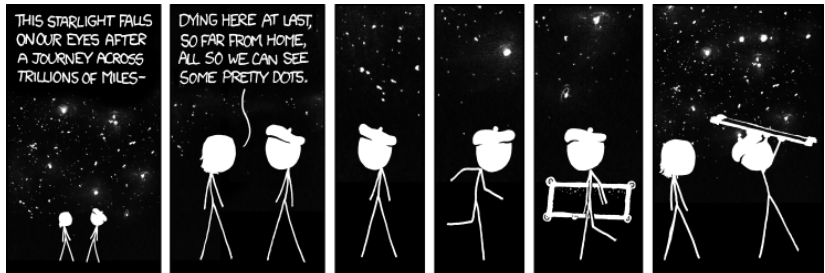
Takeaway 2

Astrophysical sources can be used to constrain the dark matter interaction cross section σ_χ .

Takeaway 3

Neutron stars and Population III stars are promising objects to **probe dark matter below the neutrino floor** and beyond the Standard Model.

Thank you!



Approximate and Semi-Analytic Calculations

$$C_N = \sqrt{24\pi} p_N(\tau) n_\chi G M_\star \frac{1}{\bar{v}} \left(1 - \left(1 + \frac{2A_N^2 \bar{v}^2}{3v_{esc}^2} \right) e^{-A_N^2} \right) \quad (1)$$

where

$$A_N^2 = \frac{3v_{esc}^2 N m_n}{\bar{v}^2 m_\chi} \quad (2)$$

$$C^k m_\chi = \begin{cases} \pi R^2 \frac{\sqrt{2} n_\chi}{\sqrt{3\pi} \bar{v}} (2\bar{v}^2 + 3v_{esc}^2) \frac{k(k+3)}{(n\tau\sigma_{n\chi} 2R)^2} m_\chi & ; \frac{3(v_N^2 - v_{esc}^2)}{2\bar{v}^2} \gg 1, k < \tau \\ \pi R^2 \frac{\sqrt{3} n_\chi}{\sqrt{2\pi} \bar{v}^3} 3v_{esc}^4 z_i 4m_N \frac{2}{\tau^2} \left[\frac{k(k+1)(k+2)}{3} + z_i \frac{4m_N}{m_\chi} \frac{k(k+1)(k+2)(3k+1)}{12} \right] & ; \frac{3(v_N^2 - v_{esc}^2)}{2\bar{v}^2} \ll 1, k < \tau \\ \pi R^2 \frac{\sqrt{2} n_\chi}{\sqrt{3\pi} \bar{v}} (2\bar{v}^2 + 3v_{esc}^2) m_\chi & ; \frac{3(v_N^2 - v_{esc}^2)}{2\bar{v}^2} \gg 1, k > \tau \\ \pi R^2 \frac{\sqrt{3} n_\chi}{\sqrt{2\pi} \bar{v}^3} 3v_{esc}^4 z_i 4m_N \left[\frac{2\tau}{3} + z_i \frac{4m_N}{m_\chi} \frac{\tau^2}{2} \right] & ; \frac{3(v_N^2 - v_{esc}^2)}{2\bar{v}^2} \ll 1, k > \tau \end{cases} \quad (3)$$

Intricacies for Exotic Objects

$$\sigma \rightarrow \sigma_{n\chi} \frac{M_N^4}{m_n^4} F^2 (\langle E_R \rangle) \quad (4)$$

$$C_N \rightarrow \frac{C_N}{1 - \frac{2GM}{Rc^2}} \quad (5)$$

$$\chi = \left[1 - \left(1 - \frac{2GM}{Rc^2} \right)^{1/2} \right] \quad (6)$$

$$v_{\text{esc}} \rightarrow \sqrt{2\chi} \quad (7)$$

Neutron Star Constraint Criterion

$$m_x C_N = L_{DM} = 4\pi\sigma_0 R^2 T_{NS}^4 \left(1 - \frac{2GM}{Rc^2}\right)^2 \quad (8)$$

leads to:

$$\sum_N p_N(\tau) \left(1 - \left(1 + \frac{2A_N^2 \bar{v}^2}{3v_{esc}^2}\right) e^{-A_N^2}\right) = \text{const} \frac{T_{NS}^4}{\rho_X} \quad (9)$$

which is essentially:

$$L_{sources} + (\text{heat rate}) = L_{radiated} \quad (10)$$

In equilibrium, (heat rate) = 0. With no sources (WD, NS), we get the constraint that we are claiming.

Future Work on Pop. III Stars

- We assumed a cross section σ_χ in calculating capture rate for Pop. III stars as a proof of concept.
- We then were able to extract the cross section that we assumed \rightarrow proof of concept.
- **Future work:** Make no assumptions about the cross section and see what the plot below would look like:

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